

Introduction.

```
Sum[function[n], {n, nmin, nmax}]
```

```
Table[function[n], {n, nmin, nmax}]
```

```
Sin[n * x]
```

```
Sin[n x]
```

```
Sum[Sin[n * x], {n, 1, 5}]
```

```
Sin[x] + Sin[2 x] + Sin[3 x] + Sin[4 x] + Sin[5 x]
```

```
Table[Sin[n * x], {n, 1, 5}]
```

```
{Sin[x], Sin[2 x], Sin[3 x], Sin[4 x], Sin[5 x]}
```

Sum

Uses

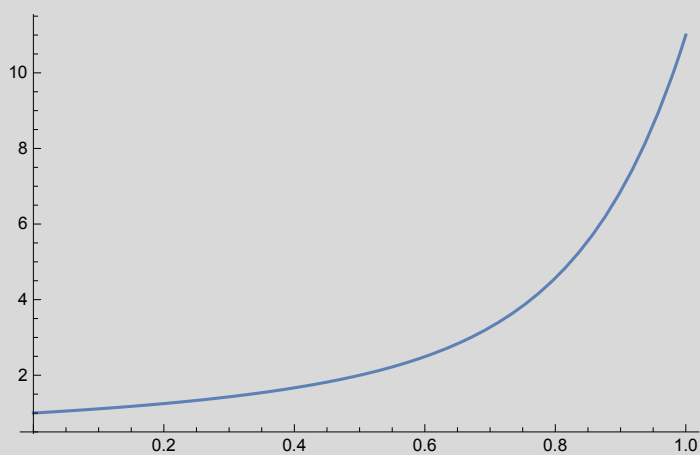
Examples of uses include Taylor/Maclaurin Series.

$$\frac{1}{1-x} = \sum_{n=0}^{\infty} x^n \text{ for } |x| < 1$$

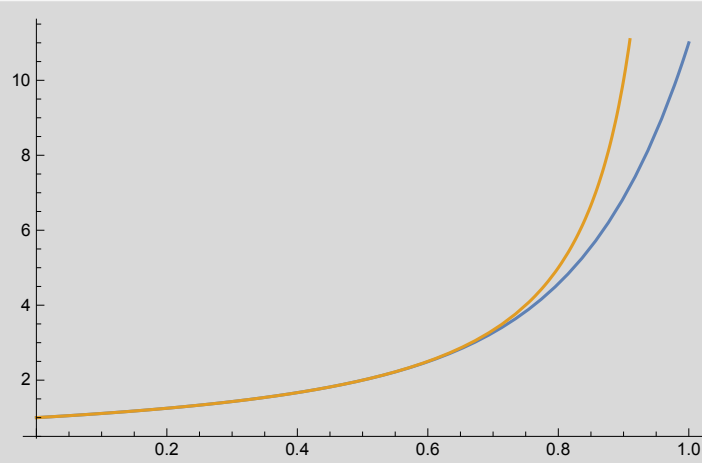
```
Sum[x^n, {n, 0, 10}]
```

```
1 + x + x^2 + x^3 + x^4 + x^5 + x^6 + x^7 + x^8 + x^9 + x^10
```

```
Plot[Sum[x^n, {n, 0, 10}], {x, 0, 1}]
```



```
Plot[{Sum[x^n, {n, 0, 10}],  $\frac{1}{1-x}$ }, {x, 0, 1}] (*compare with exact function*)
```



$$1/1-x$$

$$1-x$$

$$1/(1-x)$$

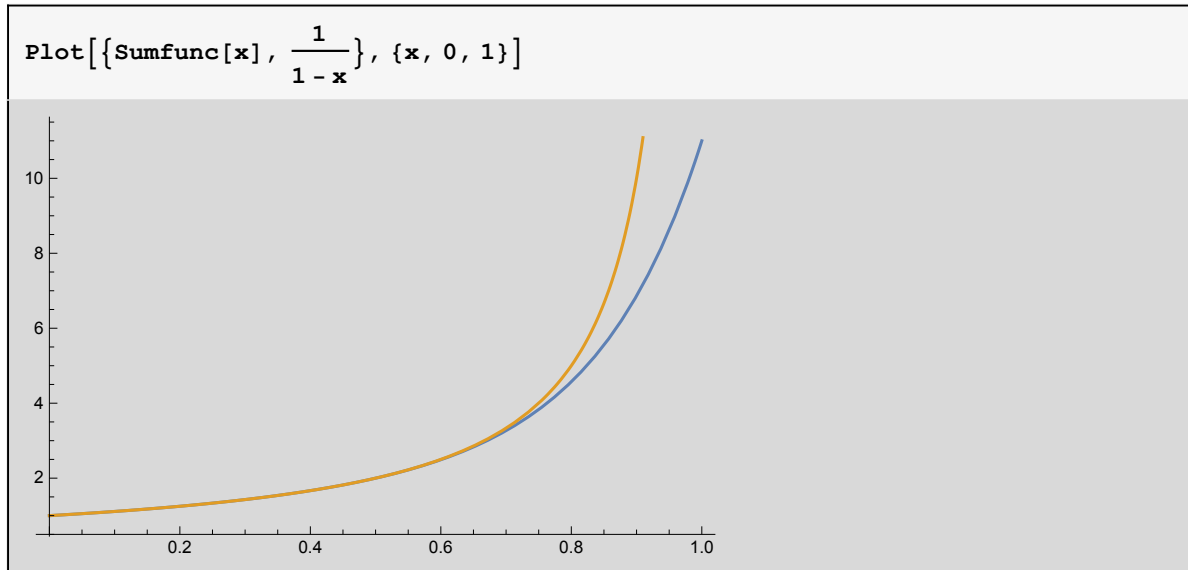
$$\frac{1}{1-x}$$

$$(-\sin[k * L] + (\alpha / k) * \cos[k * L]) / (\cos[k * L] + (\alpha / k) * \sin[k * L])$$

$$\frac{\frac{\alpha \cos[k L]}{k} - \sin[k L]}{\cos[k L] + \frac{\alpha \sin[k L]}{k}}$$

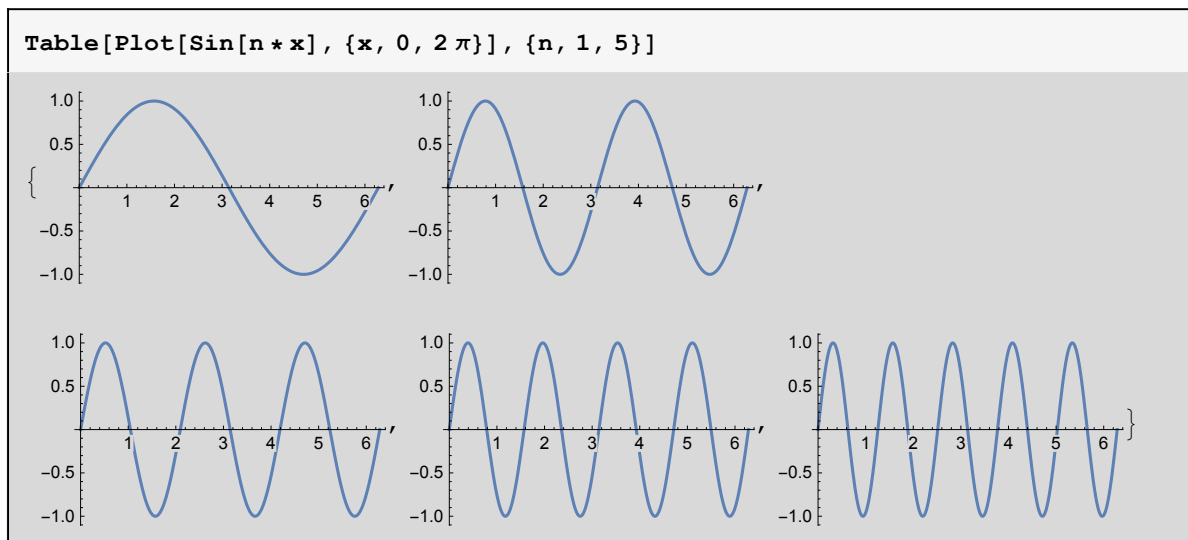
$$\frac{-\sin[k * L] + \frac{\alpha}{k} * \cos[k * L]}{\cos[k * L] + \frac{\alpha}{k} * \sin[k * L]}$$

```
Sumfunc[x_] := Sum[x^n, {n, 0, 10}]
```

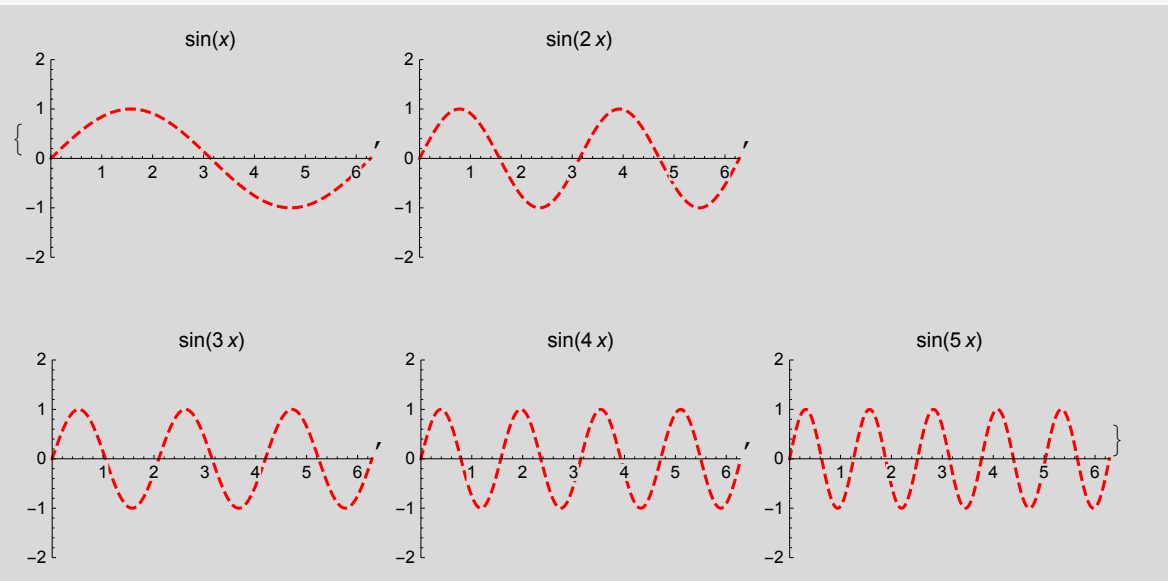


Table

In mathematica, a function needn't be a stereotypical maths function.

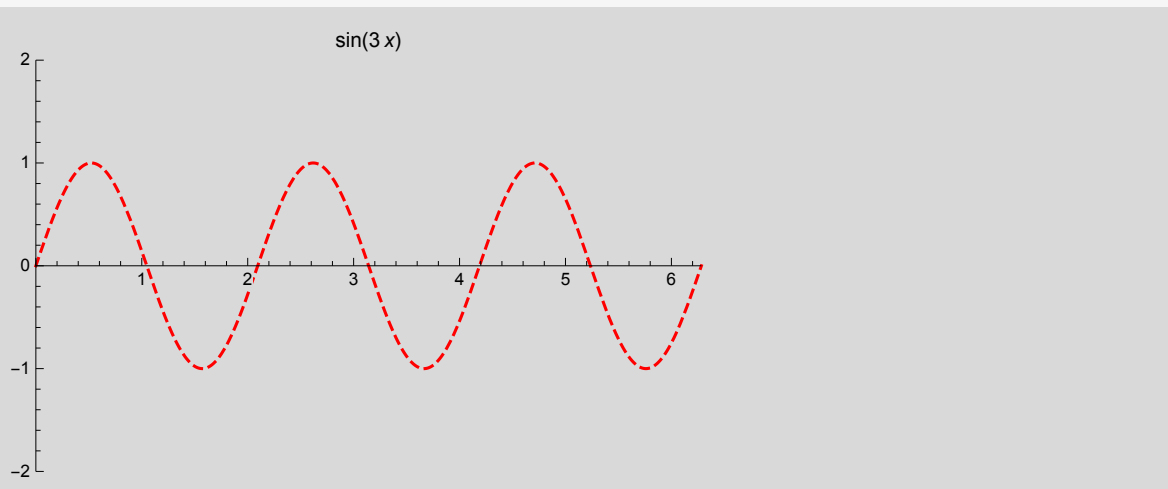


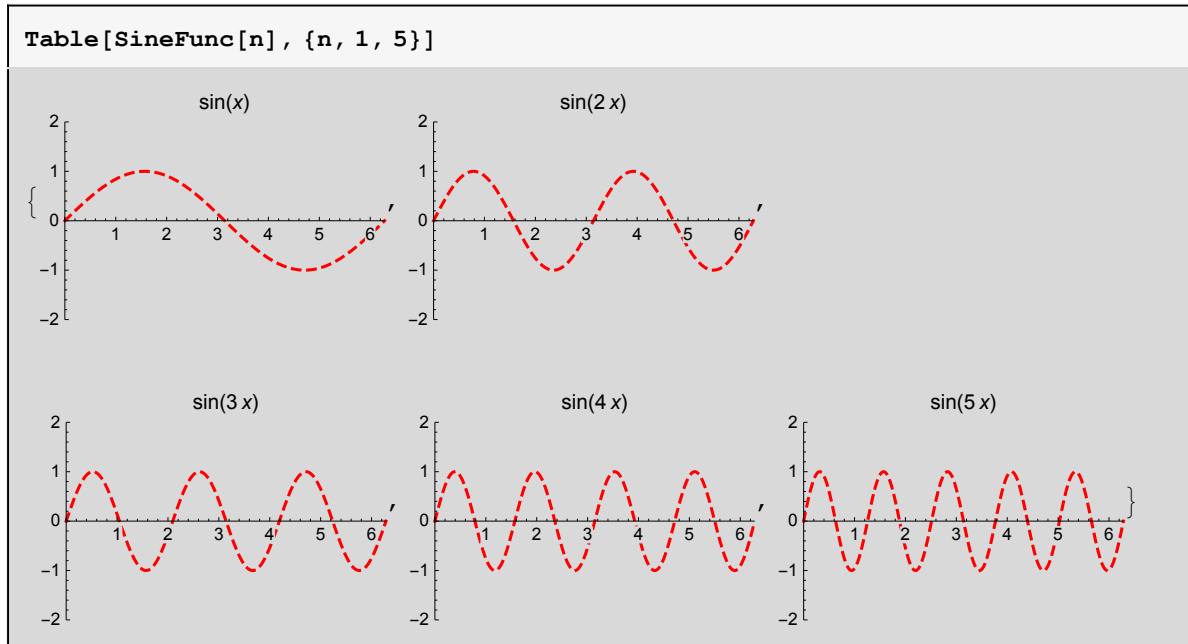
```
Table[Plot[Sin[n * x], {x, 0, 2 π}, PlotLabel → Sin[n * x],
  PlotStyle → {Red, Dashed}, PlotRange → {{0, 2 π}, {-2, 2}}], {n, 1, 5}]
```



```
SineFunc[n_] := Plot[Sin[n * x], {x, 0, 2 π}, PlotLabel → Sin[n * x],
  PlotStyle → {Red, Dashed}, PlotRange → {{0, 2 π}, {-2, 2}}]
```

```
SineFunc[3] (*Check code*)
```





Summary

> Make notebook easy to follow

- a) Use functions to show structure of code
- b) use palettes

> Table and Sum commands are very similar

- a) `Table[function[n],{n,nmin,nmax}]`
- b) `Sum[function[n],{n,nmin,nmax}]`

> When using table, our function[n] needn't be a 'mathematical' function but can be for example a plot.